VOSA: A short introduction.

SEDs in the Virtual Observatory

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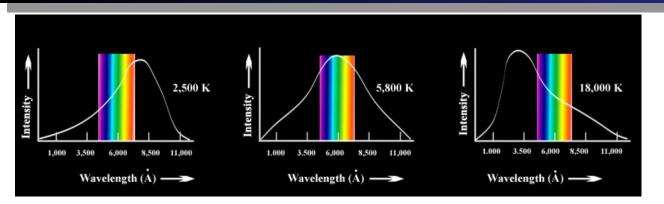


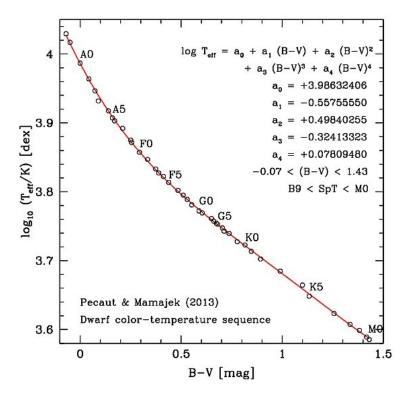


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# Why SEDs (Spectral Energy Distributions)?

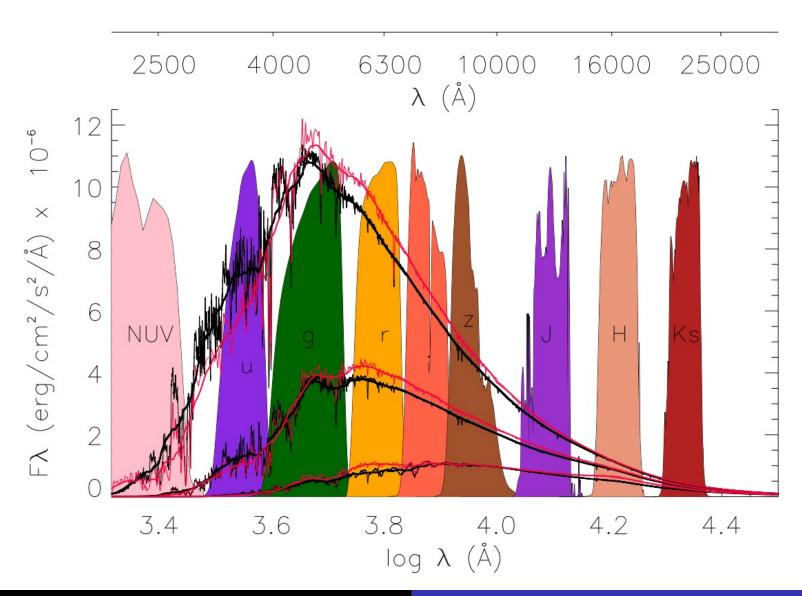




# Why SEDs (Spectral Energy Distributions)?

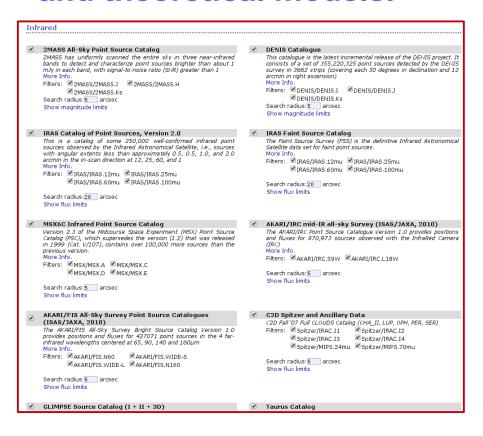


## Why SEDs (Spectral Energy Distributions)?



## **Building SEDs: Difficulties**

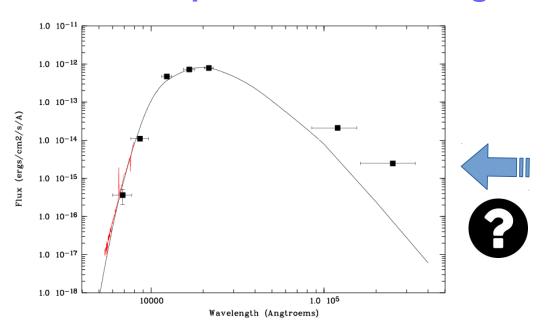
 Discovery of information: Observational photometry and theoretical models.



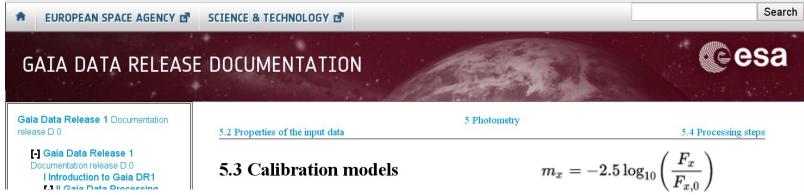


## **Building SEDs: Difficulties**

#### Data Manipulation: From magnitudes to fluxes

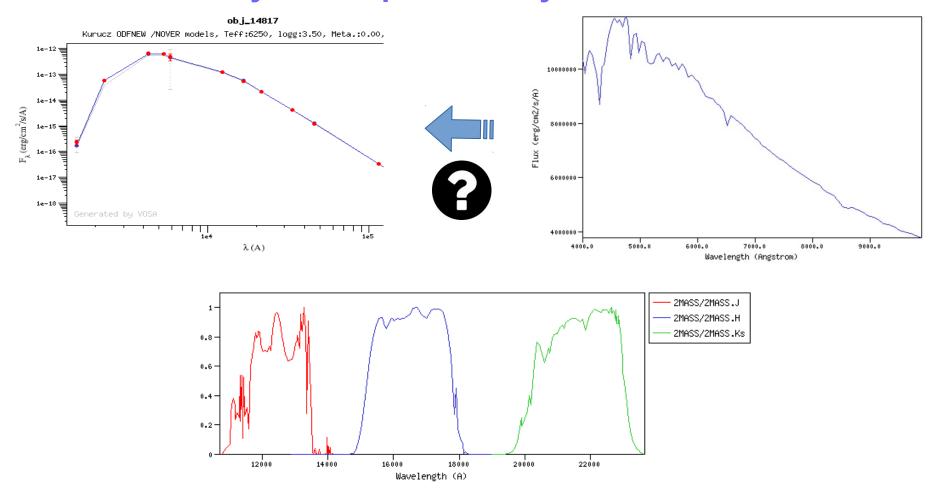






## **Building SEDs: Difficulties**

Data Manipulation: From theoretical spectra to synthetic photometry



#### VOSA to the rescue



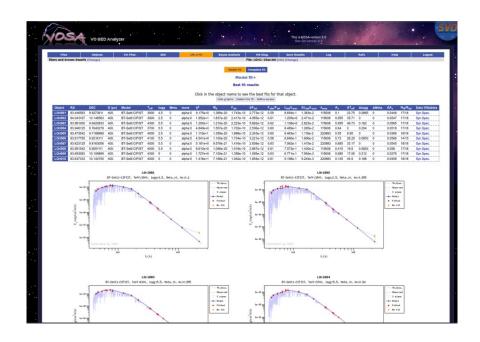
http://svo2.cab.inta-csic.es/theory/vosa/

Available since 2008.

> 1500 users.

> 4.700.000 objects.

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### Science case

## THE ASTRONOMICAL JOURNAL

# Accurate Empirical Radii and Masses of Planets and Their Host Stars with *Gaia* Parallaxes

Keivan G. Stassun<sup>1,2</sup> (D), Karen A. Collins<sup>1,2</sup> (D), and B. Scott Gaudi<sup>3,4</sup>

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## Science case

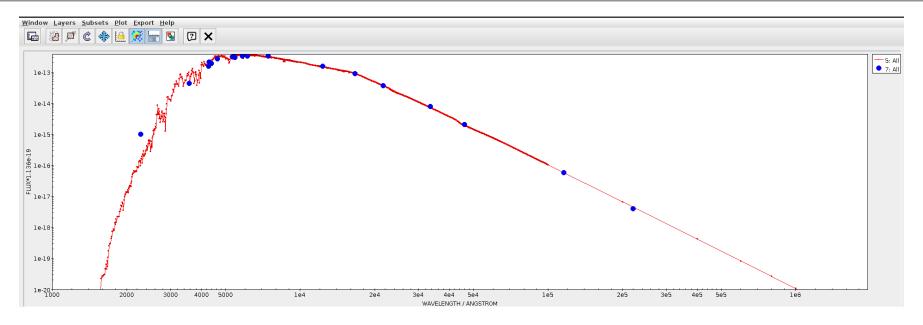
Masses and radii of planets are necessary to:

- Shed light on inflated hot-Jupiters.
  - 0.2-2.1M<sub>lup</sub>. Radii larger than predicted by models.
  - Internal heating.
  - $\rightarrow$  Planet radius as a function of irradiation, age, magnetic fields, winds,...

$$\Delta \mathbf{F} = \left(\frac{R_{planet}}{R_{star}}\right)^2$$

$$\frac{R_{planet}}{R_{star}}$$
 
$$M_p = \frac{K_{RV}\sqrt{1 - e^2}}{\sin i} \left(\frac{P}{2\pi G}\right)^{1/3} M_{\star}^{2/3}$$

## Science case



- Empirical determination (model independent) of the radii and masses of stars hosting planets.
- SED fitting  $\rightarrow$   $F_{bol}$  and  $T_{eff}$
- L =  $4\pi D^2 F_{bol}$  (D from Gaia-DR2 parallaxes)
- R=sqrt( $L/(4\pi\sigma T_{eff}^{4})$ )
- $g = G M / R^2$